

Routine Angles and Shapes Practice #3

1.

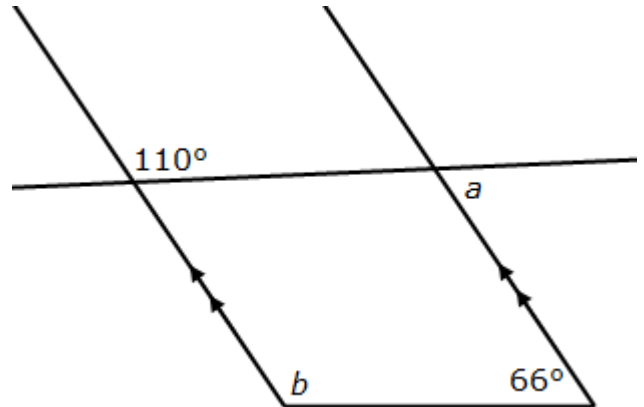
Angle $a = \dots\dots\dots$

Reasons = $\dots\dots\dots$

$\dots\dots\dots$

Angle $b = \dots\dots\dots$

Reason = $\dots\dots\dots$



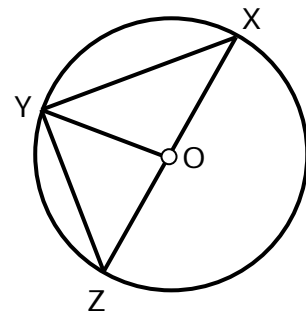
2.

Angle $\angle OZY = 62^\circ$

Angle $\angle YXO = \dots\dots\dots$

Reasons = $\dots\dots\dots$

$\dots\dots\dots$

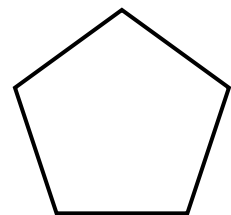


3.

Calculate the interior angles of a regular pentagon. Explain your steps.

$\dots\dots\dots$

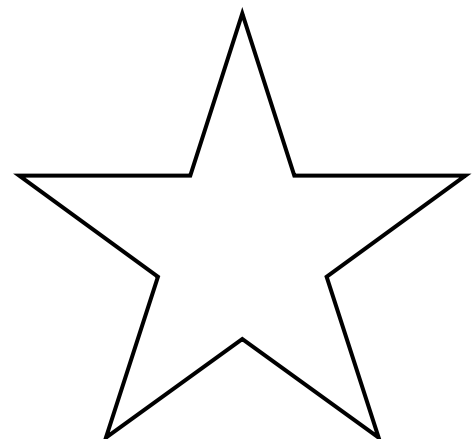
$\dots\dots\dots$



4.

The interior reflex angles of the regular star are all 252° .

Give the size of the interior acute angles = $\dots\dots\dots$



Answers: Routine Angles and Shapes Practice #3

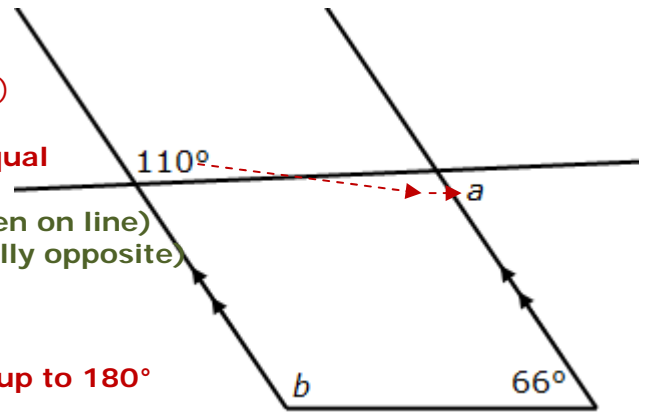
1.

Angle $a = 70^\circ$ (not 66, those lines aren't parallel)

Reasons = **Alternate angles on parallel lines are equal**
Angles on a straight line add up to 180°
 (or, corresponding angles are equal, then on line)
 (or, co-interior add to 180° , then vertically opposite)

Angle $b = 114^\circ$

Reason = **Co-interior angles on parallel lines add up to 180°**



2.

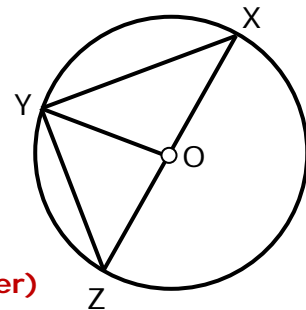
Angle $\angle OZY = 62^\circ$

Angle $\angle YXO = 28^\circ$

Reasons = **Angle XYZ is 90° (formed from ends of a diameter)**

$$180^\circ - 90^\circ - 62^\circ = 28^\circ \text{ (interior angles in a triangle = } 180^\circ\text{)}$$

(line OY can be ignored)

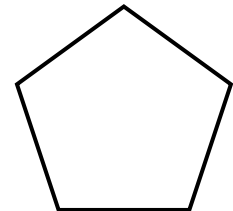


3.

Calculate the interior angles of a regular pentagon. Show your steps.

$$\text{Sum of angles in a pentagon} = 3 \times 180 = 540^\circ$$

$$540 \div 5 = 108^\circ \text{ (since all angles are equal in regular pentagon)}$$



4.

The interior reflex angles of the regular star are all 252° .

Give the size of the interior acute angles = 36°

Opposite side of reflex angle is 108° ($360 - 252$)

Triangle formed from star tips is isosceles, so small angles are = 36°

Two small angles + point = 108° (interior angle of pentagon)

=> angle at point = 36°

Or via internal angles of decagon add to $8 \times 180^\circ = 1440^\circ = 5 \times 252^\circ + 5 \times x$

